

PHAR 123 GENERAL CHEMISTRY for HEALTH SCIENCES

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General Chemistry for Health Sciences

PHAR 123

2020-2021 FALL TERM



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General Chemistry for Health Sciences

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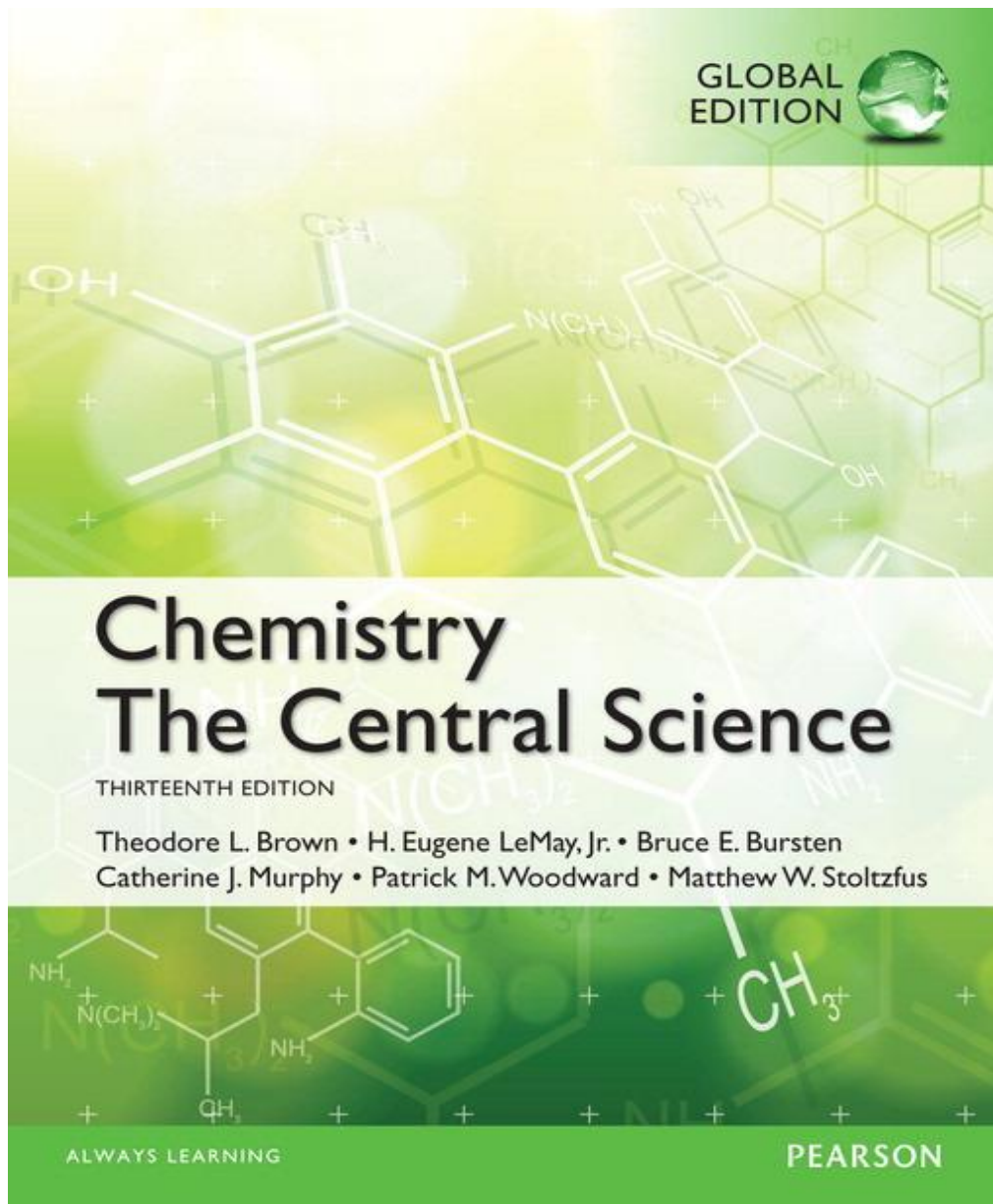
Wednesday:9:45-11:30
Thursday:9:45-11:30

Director: Asst. Prof. Behiye ÖZTÜRK ŞEN
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COURSE CONTENT		
Week	Topics	Study Materials
1	Matter and Measurements	Text Book
2	Atoms, Molecules, and Ions	Text Book
3	Stoichiometry	Text Book
4	Aqueous Solutions and Solution Chemistry	Text Book
5	Thermochemistry	Text Book
6	MIDTERM I	
7	Electronic Structure of Atoms	Text Book
8	Periodic Properties of the Elements	Text Book
9	Chemical Bonding	Text Book
10	Gases	Text Book
11	MIDTERM II	
12	Intermolecular Forces, Liquids and Solids	Text Book
13	Properties of Solutions	Text Book
14	Chemical Kinetics and Chemical Equilibrium	Text Book
15	FINAL	

RECOMMENDED SOURCES	
Textbook	Chemistry: The Central Science, 13 th ed., Theodore L. Brown, H. Eugene LeMay, Jr. Bruce E. Bursten, Chatherine J. Murphy, Patrick Woodward, Pearson/Prentice Hall, 2014
Additional Resources	General Chemistry: Principles and Modern Application, 10 th ed., Ralph H. Petrucci, William S. Harwood, F. Geoffrey Herring, Prentice Hall, Pearson Educational International, 2010

ASSESSMENT		
IN-TERM STUDIES	QUANTITY	PERCENTAGE
Homeworkl	1	40
Quiz	2	30
Final	1	30
Total	3	100



Lecture Presentation

Chapter 1

Introduction: Matter and Measurement

James F. Kirby
Quinnipiac University
Hamden, CT

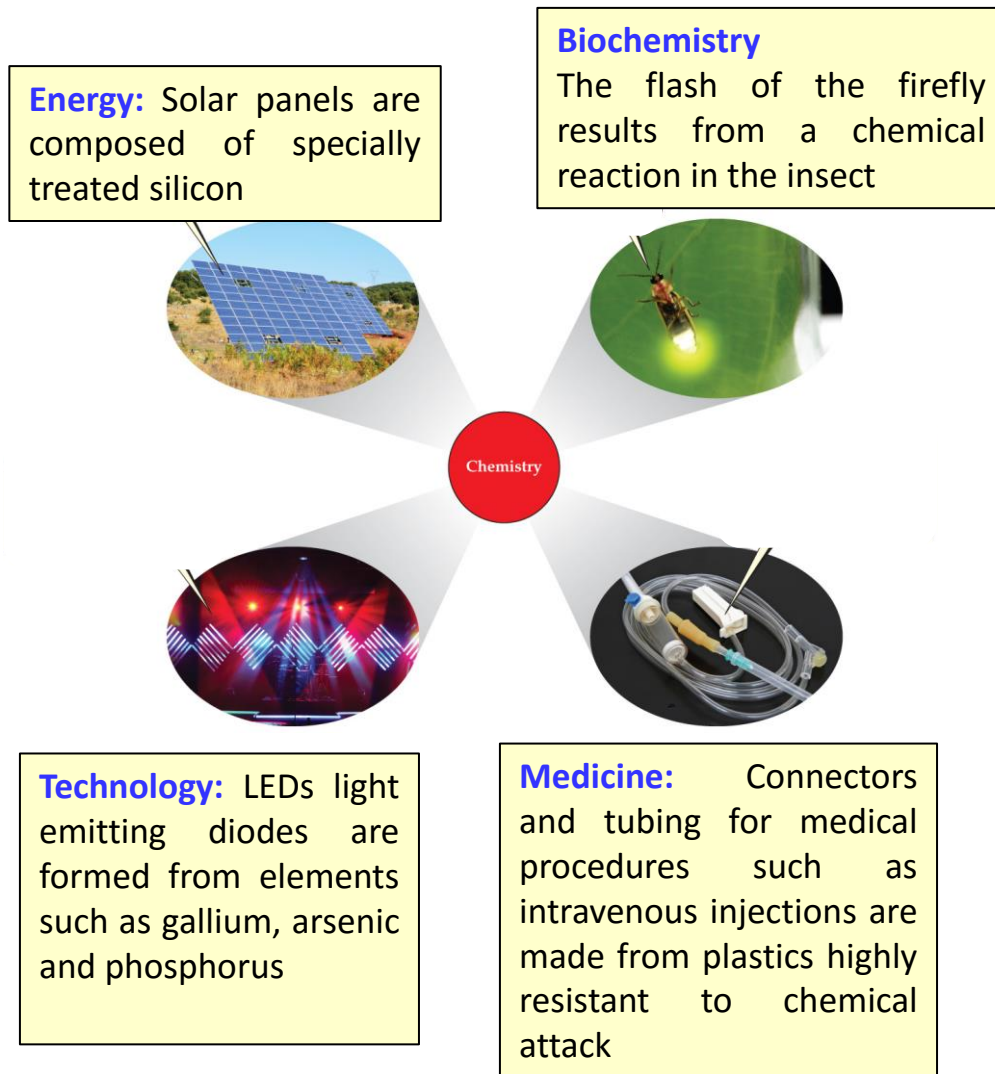
In this Chapter; You will learn

1. Chemistry
2. Matter
3. Classification of Matter According to States (Solid, Liquid and Gas) and Composition (Element, Compound, Mixture)
4. Types of Properties:
 - ✓ Physical Properties (Boiling Points, density)
 - ✓ Chemical Properties (Flammability, Corrosiveness)
 - ✓ Intensive Property
 - ✓ Extensive Property
5. Types of Changes:
 - ✓ Physical Changes (Temperature and Volume)
 - ✓ Chemical Changes (Combustion, Oxidation and Decomposition)

**In this Chapter;
You will learn**

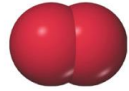
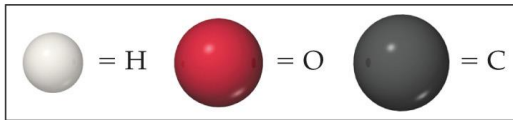
- 6. Numbers and Chemistry (Units of Measurement)**
- 7. Uncertainties in Measurement (Exact Number and Inexact Number)**
- 8. Significant Figures (Uncertainty)**
- 9. Significant Figures in Calculations**
 - ✓ Addition and Subtraction
 - ✓ Multiplication and Division
- 10. Rounding of Numbers**
- 11. Dimensional Analysis**

1.Chemistry



- Chemistry is the study of the **properties** and **behavior** of **matter**.
- It is central to our fundamental understanding of many science-related fields.
- All matter is comprised of combinations of only **~ 100 substances** called elements
- **Goal:** relate to the properties of the matter to the particular element it contains.

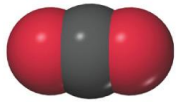
2. Matter



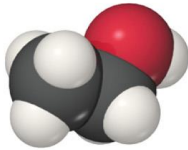
Oxygen



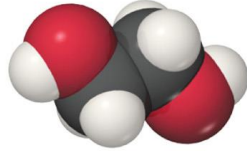
Water



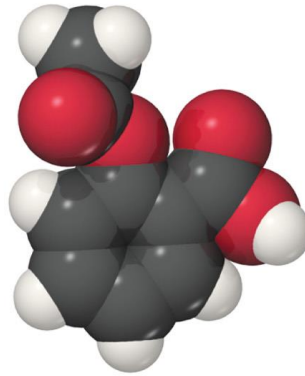
Carbon dioxide



Ethanol



Ethylene glycol



Aspirin

- **Atoms** are the building blocks of matter.
- Each **element** is made of a unique kind of atom.
- A **compound** is made of two or more different kinds of elements.

Observable changes in matter: macroscopically

Behaviour of atoms and molecules: Submicroscopic level

Chemistry : the science that seeks to understand behavior of atoms and molecules.

3. Classification of Matter

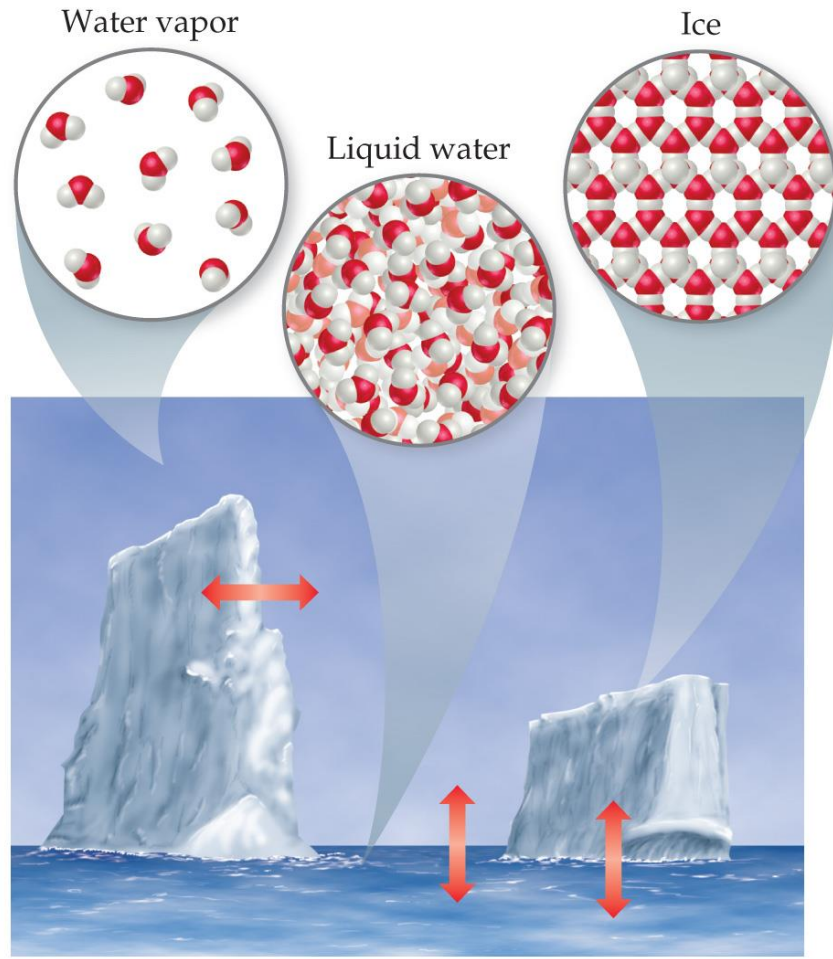
States

- Gas
- Liquid
- Solid

Composition

- Element
- Compound
- Mixture

States of Matter

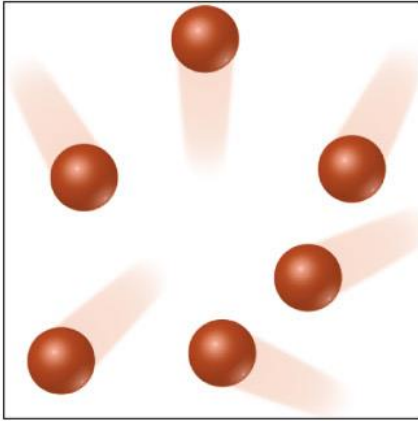


- The three states of matter are
 - 1) solid.
 - 2) liquid.
 - 3) gas.
- In this figure, those states are ice, liquid water, and water vapor.
- Volume & shape
- Movements of molecules
- Inter-molecular distances

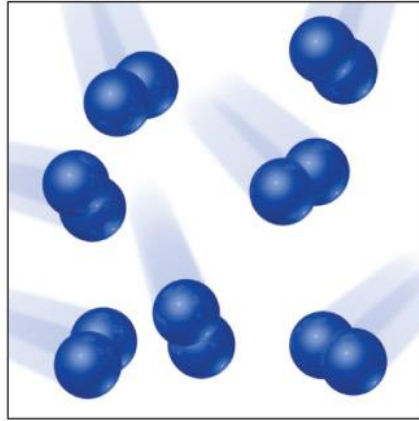
Classification of Matter - Substances

- A **substance** has distinct properties and a composition that does not vary from sample to sample. **Ex:** Table salt and water
- The two types of substances are **elements** and **compounds**.
 1. An **element** is a substance which **can not** be decomposed to simpler substances.
 2. A **compound** is a substance which **can be** decomposed to simpler substances.

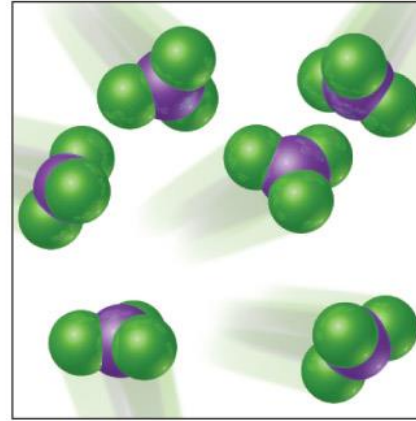
Classification of Matter - Substances



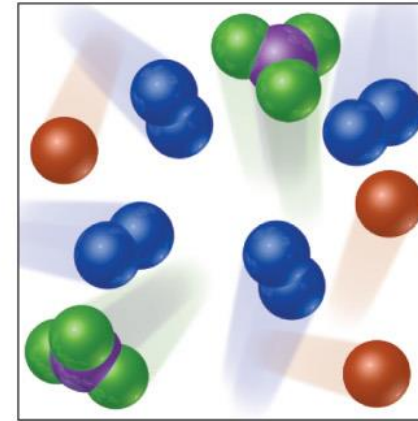
a) Atoms of an element



b) Molecules of an element



c) Molecules of a compound



d) Mixtures of elements and a compound

Only one kind of atom is in any element

Compounds must have at least two kinds of atoms

Mixtures: atoms and molecules retain their chemical identity

118 elements: earth's crust, atmosphere, human body

Periodic table: symbols and names of elements

Compounds and Composition

- Compounds have a definite composition. That means that the relative number of atoms of each element that makes up the compound is the same in any sample.
Regardless of source: nature or lab!
- This is **The Law of Constant Composition** (or **The Law of Definite Proportions**).
Unique characteristics!



Hydrogen atom
(written H)



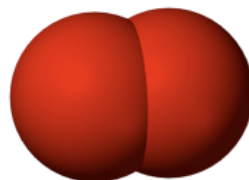
Oxygen atom
(written O)



Water molecule
(written H₂O)



Hydrogen molecule (H₂)



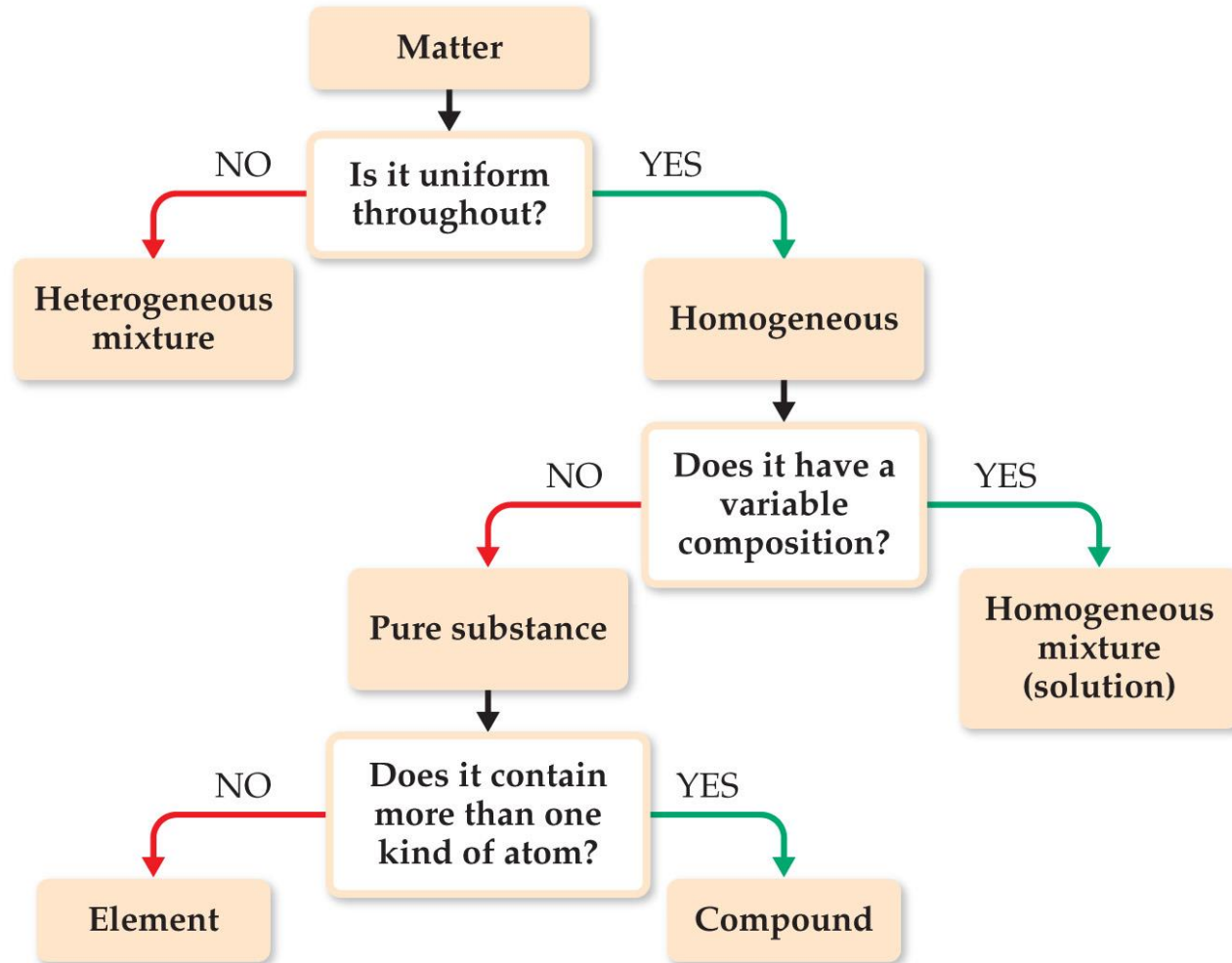
Oxygen molecule (O₂)

The elements hydrogen and oxygen themselves exist naturally as diatomic molecules

Classification of Matter - Mixtures

- **Matter in real world:** mixtures
- **Mixtures** exhibit the properties of the substances that make them up
- Mixtures do not have fixed ratio: coffee with sugar
- Mixtures can vary in composition throughout a sample (**heterogeneous**) or can have the same composition throughout the sample (**homogeneous**)
- Another name for a homogeneous mixture is **solution**
- **Component:** substances making up mixtures. Elements and molecules retain their chemical identity in a mixture
- Elements and molecules retain their chemical identity in a mixture

Classification of Matter Based on Composition



- ❖ If you follow this scheme, you can determine how to classify any type of matter.
- Homogeneous mixture
- Heterogeneous mixture
- Element
- Compound

Separating Mixtures

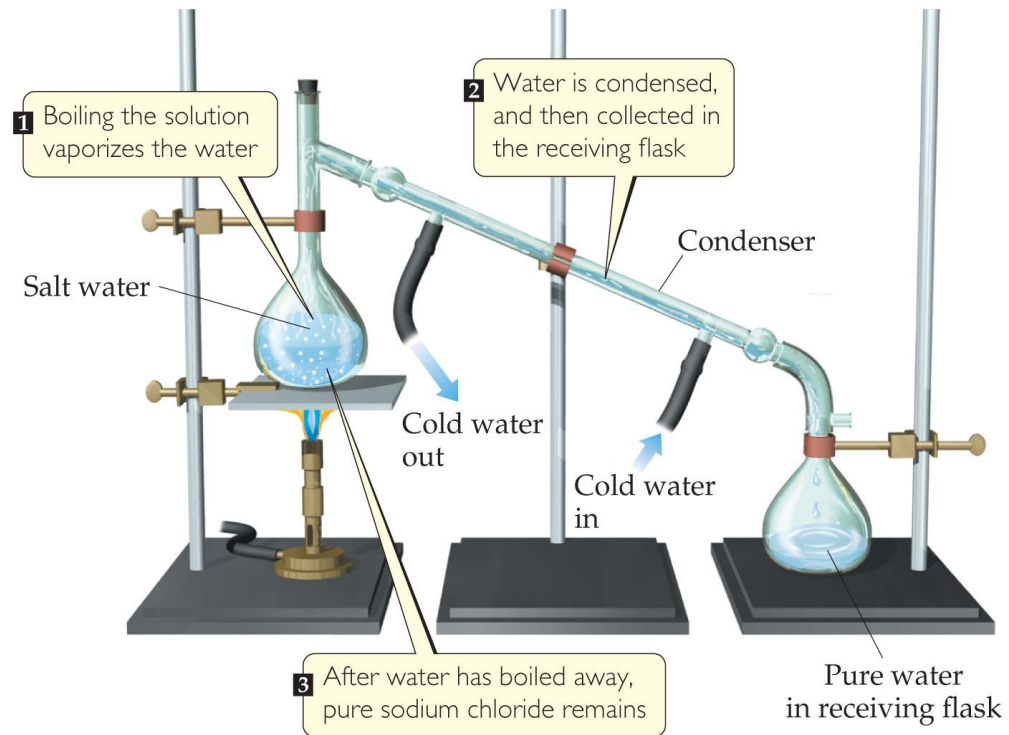
- Sands in a bucket of water or sands and iron
- Mixtures can be separated based on physical properties of the components of the mixture. Some methods used are
 - filtration
 - distillation
 - chromatography

Filtration



- In filtration, solid substances are separated from liquids and solutions.

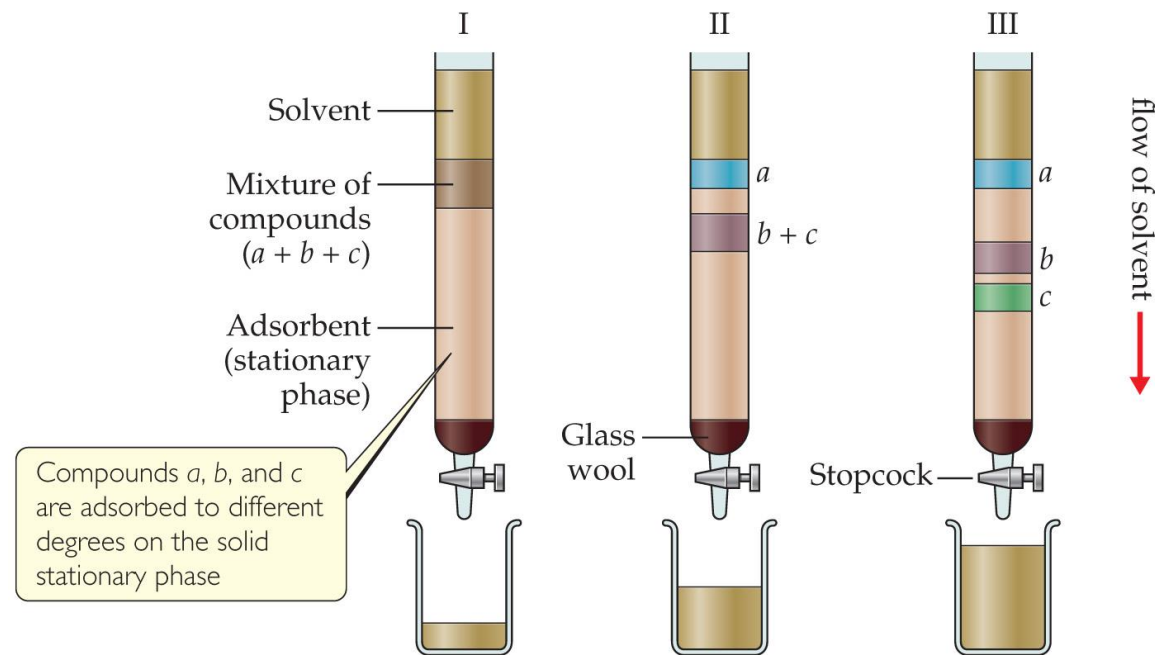
Distillation



- Distillation uses differences in the boiling points of substances to separate a homogeneous mixture into its components.

Chromatography

- This technique separates substances on the basis of differences in the ability of substances to adhere to the solid surface, in this case, dyes to paper.



4. Types of Properties

- Substances have unique properties
- **Physical Properties** can be observed without changing a substance into another substance.
 - Some examples include *boiling point*, *density*, *mass*, or *volume*.
- **Chemical Properties** can *only* be observed when a substance is changed into another substance.
 - Some examples include flammability, *corrosiveness*, or *reactivity* with acid.

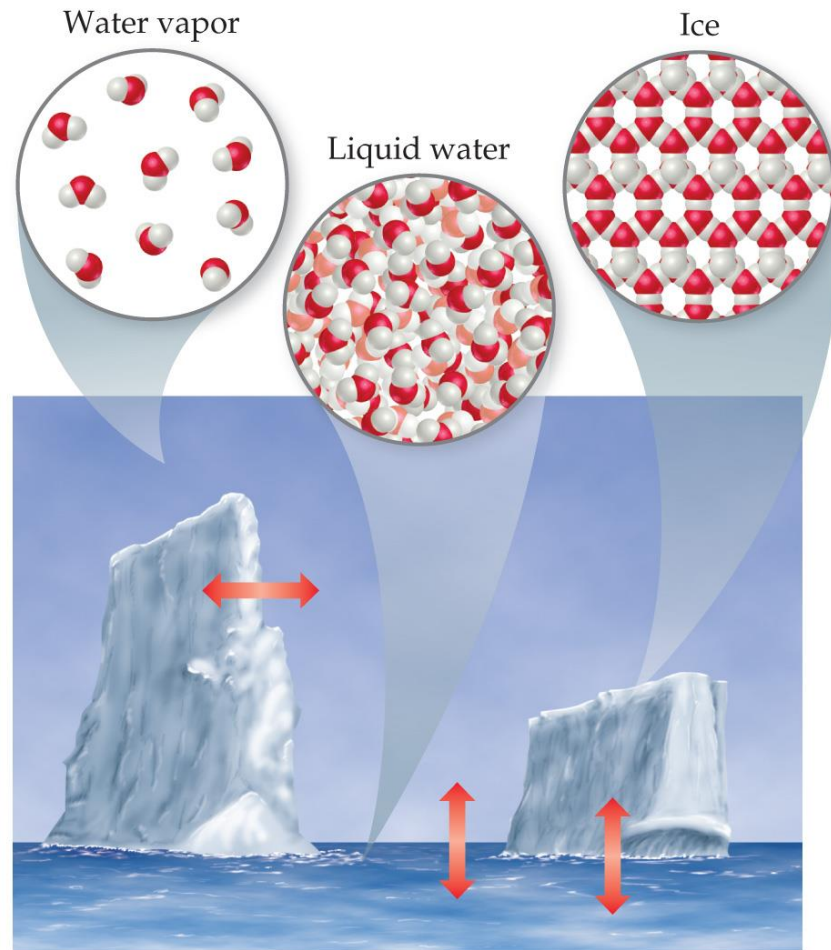
4. Types of Properties

- **Intensive Properties** are independent of the amount of the substance that is present.
 - *Examples include density, boiling point, or color.*
- **Extensive Properties** depend upon the amount of the substance present.
 - *Examples include mass, volume, or energy.*

5. Types of Changes

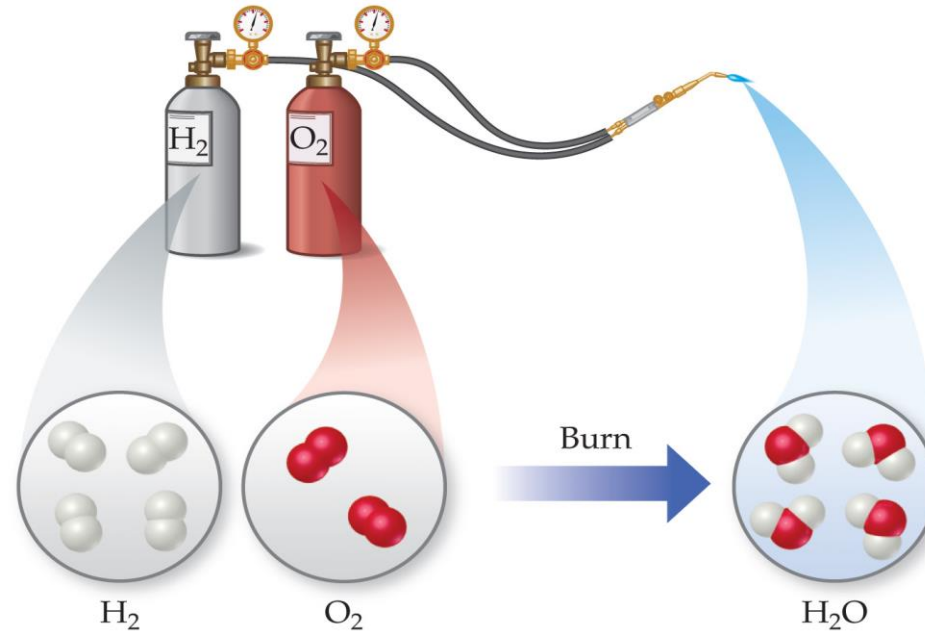
- **Physical Changes** are changes in matter that do *not* change the composition of a substance.
 - Examples include changes of state, *temperature*, and *volume*.
- **Chemical Changes** result in new substances.
 - Examples include *combustion*, *oxidation*, and *decomposition*.

Changes in State of Matter



- Converting between the three states of matter is a **physical change**.
- When ice melts or water evaporates, there are still 2 H atoms and 1 O atom in each molecule.

Chemical Reactions (Chemical Change)



In the course of a chemical reaction, the reacting substances are converted to new substances. Here, the elements hydrogen and oxygen become water.

Give it Some Thought

- Which of these changes are physical and which are chemical?
 - a) Plants make sugar from carbondioxide and water
 - b) Water vapor in the air forms frost
 - c) A goldsmith melts a nugget of gold and pulls it into a wire

6. Numbers and Chemistry

- Numbers play a major role in chemistry. Many topics are **quantitative** (have a numerical value).
- Concepts of numbers in science
 - Units of measurement
 - Quantities that are measured and calculated
 - Uncertainty in measurement
 - Significant figures
 - Dimensional analysis

Units of Measurement—Metric System

- ❖ If the number represents a measured quantity, unit should also be specified along with the number.
- ❖ Metric system is used for units of scientific measurements:
France vs English System
- ❖ The base units used in the metric system
 - **Mass:** gram (g)
 - **Length:** meter (m)
 - **Time:** second (s or sec)
 - **Temperature:** degrees Celsius ($^{\circ}\text{C}$) *or* Kelvins (K)
 - **Amount of a substance:** mole (mol)
 - **Volume:** cubic centimeter (cc or cm^3) *or* liter (l)

Units of Measurements—SI Units

SI units : particular choice of metric system

Table 1.4 SI Base Units

Physical Quantity	Name of Unit	Abbreviation
Mass	Kilogram	kg
Length	Meter	m
Time	Second	s or sec
Temperature	Kelvin	K
Amount of substance	Mole	mol
Electric current	Ampere	A or amp
Luminous intensity	Candela	cd

- *Système International d’Unités* (“The International System of Units”)
- A different base unit is used for each quantity.

Units of Measurement - Metric System Prefixes

Table 1.5 Prefixes Used in the Metric System and with SI Units

Prefix	Abbreviation	Meaning	Example
Peta	P	10^{15}	1 petawatt (PW) = 1×10^{15} watts ^a
Tera	T	10^{12}	1 terawatt (TW) = 1×10^{12} watts
Giga	G	10^9	1 gigawatt (GW) = 1×10^9 watts
Mega	M	10^6	1 megawatt (MW) = 1×10^6 watts
Kilo	k	10^3	1 kilowatt (kW) = 1×10^3 watts
Deci	d	10^{-1}	1 deciwatt (dW) = 1×10^{-1} watt
Centi	c	10^{-2}	1 centiwatt (cW) = 1×10^{-2} watt
Milli	m	10^{-3}	1 milliwatt (mW) = 1×10^{-3} watt
Micro	μ^b	10^{-6}	1 microwatt (μW) = 1×10^{-6} watt
Nano	n	10^{-9}	1 nanowatt (nW) = 1×10^{-9} watt
Pico	p	10^{-12}	1 picowatt (pW) = 1×10^{-12} watt
Femto	f	10^{-15}	1 femtowatt (fW) = 1×10^{-15} watt
Atto	a	10^{-18}	1 attowatt (aW) = 1×10^{-18} watt
Zepto	z	10^{-21}	1 zeptowatt (zW) = 1×10^{-21} watt

^aThe watt (W) is the SI unit of power, which is the rate at which energy is either generated or consumed. The SI unit of energy is the joule (J); $1 \text{ J} = 1 \text{ kg} \cdot \text{m}^2/\text{s}^2$ and $1 \text{ W} = 1 \text{ J/s}$.

^bGreek letter mu, pronounced “mew.”

- *Prefixes* convert the base units into units that are appropriate for common usage or appropriate measure.
- Milli: 10^{-3} fraction of a unit
- Problem solving
- Exponential

Mass and Length

- These are basic units we measure in science.
- **Length** is a measure of distance. The meter is the base unit.
- **Mass** is a measure of the amount of material in an object. SI uses the kilogram as the base unit. The metric system uses the gram as the base unit. Other units of mass is obtained by adding prefixes to the word of gram.

Temperature

- In general usage, **temperature** is considered the “hotness and coldness” of an object that determines the direction of heat flow.
- Heat flows spontaneously from an object with a higher temperature to an object with a lower temperature.
- In scientific measurements, the **Celsius** and **Kelvin** scales are most often used.

Temperature

The **Celsius scale** is based on the properties of water.

- 0 °C is the freezing point of water.
- 100 °C is the boiling point of water

The **Kelvin** is the SI unit of temperature.

- It is based on the properties of gases.
- There are no negative Kelvin temperatures.
- The lowest possible temperature is called absolute zero (0 K).

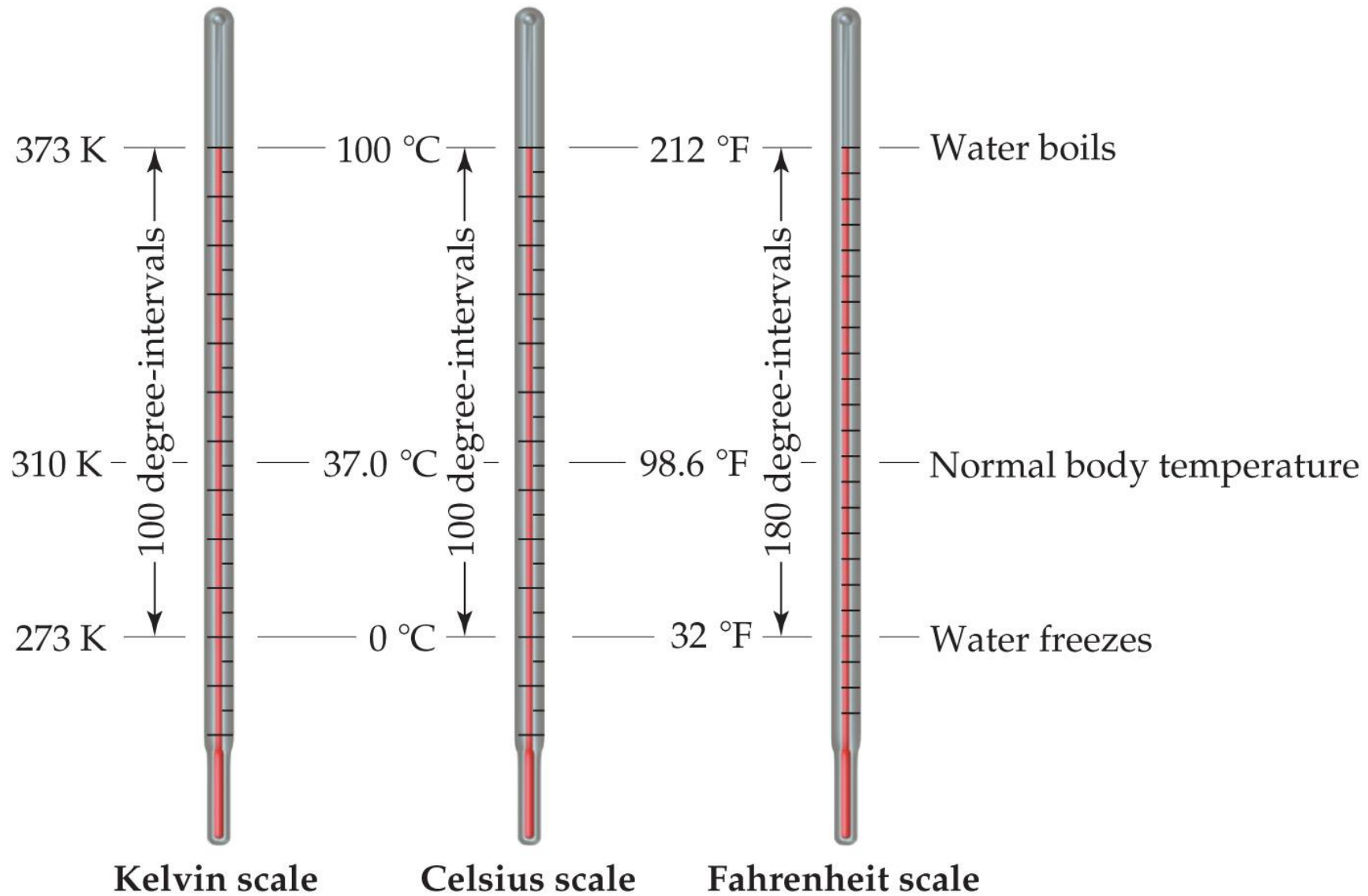
$$K = ^\circ C + 273.15$$

Temperature

The Fahrenheit scale is not used in scientific measurements, but you hear about it in weather reports!

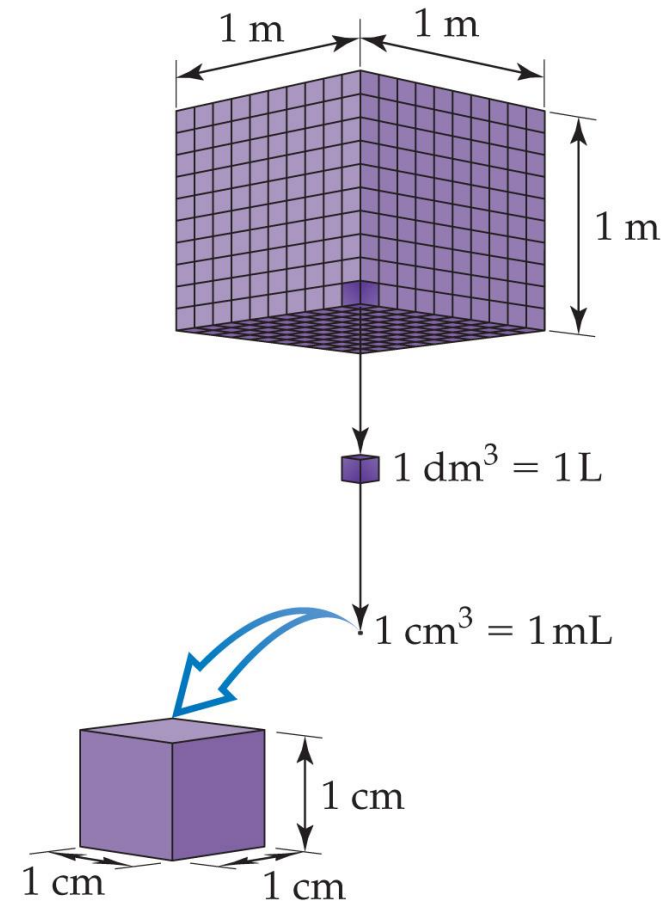
The equations below allow for conversion between the Fahrenheit and Celsius scales:

- $^{\circ}\text{F} = 9/5(^{\circ}\text{C}) + 32$
- $^{\circ}\text{C} = 5/9(^{\circ}\text{F} - 32)$



Derived SI units - Volume

- Note that volume is not a base unit for SI; it is derived from length ($m \times m \times m = m^3$). Multiplication
- The most commonly used metric units for volume are the liter (L) and the milliliter (mL).
- ✓ A liter is a cube 1 decimeter (dm) long on each side.
- ✓ A milliliter is a cube 1 centimeter (cm) long on each side, also called 1 cubic centimeter ($cm \times cm \times cm = cm^3$).

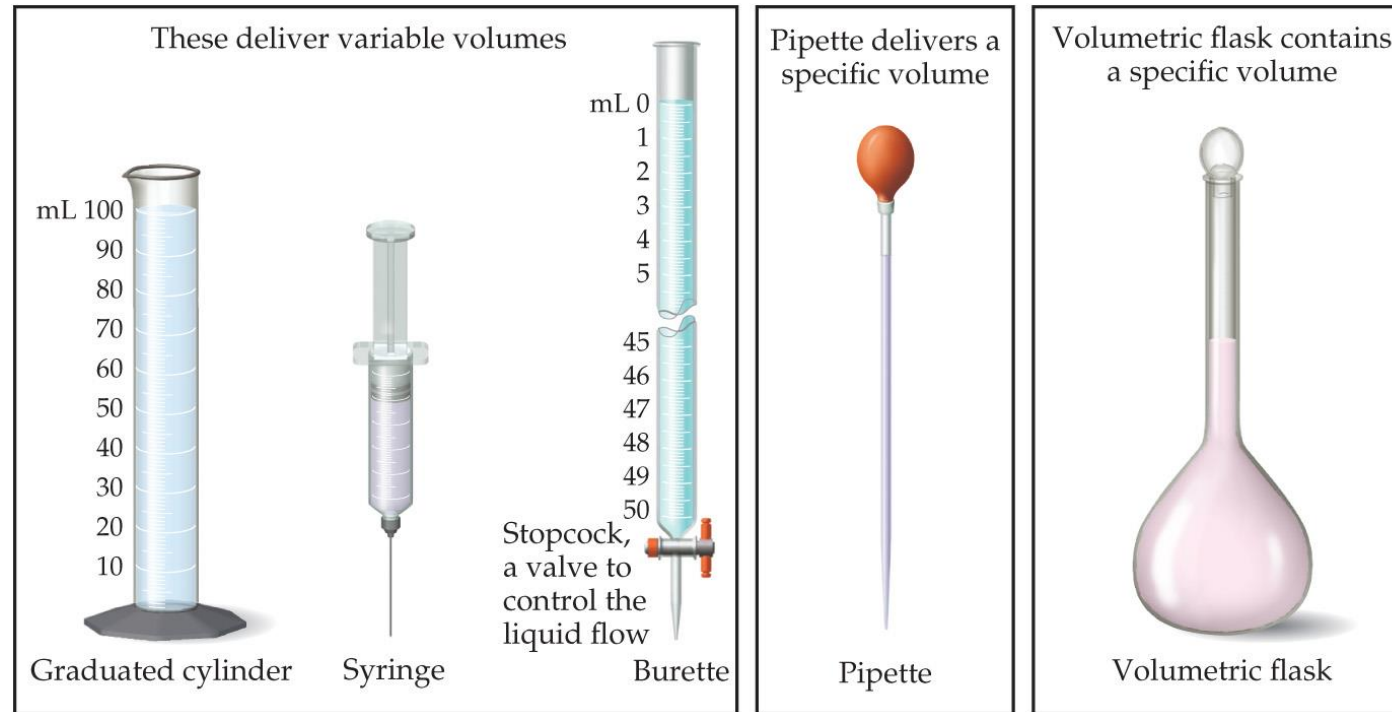


Density

- Density is a physical property of a substance.
- It has units that are derived from the units for mass and volume.
- The most common units are g/mL or g/cm³.
- $d = m/V$

7. Uncertainties in Measurement

- All measured numbers have some degree of inaccuracy.
- Different measuring devices have different uses and different degrees of accuracy.



Uncertainty in Measurement: Exact Numbers

Numbers encountered in science:

- **Exact numbers:** Counted or given by definition.
- **Inexact numbers:** Measured (with uncertainty)

Examples:

- There are 12 eggs in 1 dozen.
- 1000 g in a kg
- 2.54 cm in an inch
- $1\text{m} = 100\text{ cm}$
- $1\text{kg} = 2.2046\text{ lb}$
- Counting objects: exact number of people in classroom

Uncertainty in Measurement: Inexact Numbers

Numbers obtained by measurement are always inexact. **Inexact** (or **measured**) numbers depend on how they were determined.

Equipment errors & Human errors !

10 students measure a dime using 10 balances

Calibration of the instruments could be different

Different students can read different masses

Uncertainties always exist in measured quantities

Give it some thought

Which of the following is an **inexact quantity**?

- a) The number of people in chemistry class
- b) The mass of a penny
- c) The number of grams in a kilogram

Accuracy and Precision

The terms precision and uncertainty are often used in discussing the uncertainties of measured values.

- **Accuracy** refers to the proximity of a measurement to the true value of a quantity.
- **Precision** refers to the proximity of several measurements to each other.



Good accuracy
Good precision



Poor accuracy
Good precision



Poor accuracy
Poor precision

8. Significant Figures

- The term **significant figures** refers to digits that were measured.
- Mass of a dime on a balance: 2.2405 ± 0.0001 g. there is always uncertainty in the last digit reported
- The \pm notation expresses the uncertainty in a measurement
- All digits of measured quantity including the uncertain one are called significant figures

8. Significant Figures

- 2.4 g \rightarrow 2 significant figures
2.2405 g \rightarrow 5 significant figures
- What difference exist between measured values of **4.0 g** and **4.00 g**

4.0: 2 significant figures • more uncertainty • in the first decimal place • the mass is closer to 4.0 than 3.9 or 4.1 • 4.0 ± 0.1 g

4.00: 3 significant figures • less uncertainty • in the second decimal place • the mass is closer to 4.00 than 3.99 or 4.01 g • 4.00 ± 0.01 g

8. Significant Figures

To determine the number of significant figures in a reported measurement:

- Read the number from left to right
- Counting the digits starting with the first digit that is not zero
- In any measurement that is properly reported all non zero digits are significant

0012345



8. Significant Figures

Zeros may or may not be significant:

Zeros are used : as a part of the measured value

or

to locate the decimal point

1.

Zeros between two significant figures are themselves **significant**

Ex:

1005 kg: 4 significant figures

7.03 cm: 3 significant figures

8. Significant Figures

2.

Zeros at the beginning of a number are **never significant**, they indicate the position of the decimal point:

0.02 g, 0.0026 cm

3.

Zeros at the end of the number are significant if the number contains a decimal point:

0.0200 g, 3.0 cm

8. Significant Figures

When a number ends with zeros but contains no decimal point:

- The zeros are assumed not significant
- **Exponential notation** can be used to indicate **whether or not** end zeros are significant

Ex: 10,300 can be 3, 4, 5 significant figures

$$\underline{1.03} \times 10^4 \text{ g}$$

$$\underline{1.030} \times 10^4 \text{ g}$$

$$\underline{1.0300} \times 10^4 \text{ g}$$

9. Significant Figures in Calculations

- 1. Addition and subtraction:** answers are rounded to the **least decimal place**.
The result has the same number of decimal places as the measurement with the fewest decimal places

20.4 <u>2</u>	2 decimal place
1.32 <u>2</u>	3 decimal place
83. <u>1</u>	1 decimal place & limiting
104.8 <u>42</u>	round to 1 decimal place: 104.8

2. When multiplication or division is performed, answers are rounded to the number of digits that corresponds to the **least number of significant figures** in any of the numbers used in the calculation. The result contains the same number of significant figures as the measurement with the fewest significant figures.

$$\text{Area: } (6.221 \text{ cm}) (5.2 \text{ cm}) = 32.3492 \text{ cm}^2$$

round off to 32 cm^2
because 5.2 has 2 significant figures

10.Rounding of Numbers

In rounding of numbers look at the leftmost digit to be removed

- If the leftmost digit removed is less than 5, the preceding number does not change. Thus rounding off 7.248 to two significant figures gives 7.2
- If the leftmost digit removed is greater or equal, the preceding number is increased by 1. Rounding of 4.735 to the three significant figures gives 4.74 and rounding off 2.376 to two significant figures gives 2.4

11. Dimensional Analysis

- Keep track of units for measured numbers
- We use **dimensional analysis** to convert one quantity to another to obtain proper unit
- Most commonly, dimensional analysis utilizes **conversion factors** (e.g., 1 in. = 2.54 cm).
- We can set up a ratio of comparison for the equality either 1 in/2.54 cm *or* 2.54 cm/1 in.
- We use the ratio which allows us to change units (puts the units we have in the denominator to cancel).
- Equivalent units cancel each other

Dimensional Analysis: Example

- Example: 2.54 cm and 1 in. are the same length

$$\frac{2.54 \text{ cm}}{1 \text{ in.}} \quad \frac{1 \text{ in.}}{2.54 \text{ cm}}$$

$$\text{Number of centimeters} = \underbrace{8.5 \cancel{\text{in.}}}_{\text{given unit}} \times \frac{2.54 \text{ cm}}{\cancel{1 \text{ in.}}} = \underbrace{21.6 \text{ cm}}_{\text{desired unit}}$$

$$\cancel{\text{given unit}} \times \frac{\text{desired unit}}{\cancel{\text{given unit}}} = \text{desired unit}$$

Examine units. What is the given unit? What is the desired unit? What conversion factors are available?

Converting units

Sample exercise 1.10.

If a woman has a mass of 115 lb what is her mass in grams?
(1 lb = 453.59 g)

$$\begin{aligned} \text{Mass in grams} &= (115 \cancel{\text{ lb}}) \times \left(\frac{453.6 \text{ g}}{1 \cancel{\text{ lb}}} \right) \\ &= 52,162 \text{ g} \\ &= 5.22 \times 10^4 \text{ g} \end{aligned}$$

Round off: Least significant figures

Practice Exercises

- Practice Exercise 1. Using SI prefixes

Which of the following weights would you expect to be suitable for weighing on an ordinary bathroom scale?

(a) 2.0×10^7 mg

(b) 2500 μ g

(c) 5×10^{-4} kg

(d) 4×10^6 cg

(e) 5.5×10^8 dg

Solution to Practice Exercise 1. Using SI prefixes

The weight of an average human being:

30 kg – 150 kg, so we must convert the units given to kg

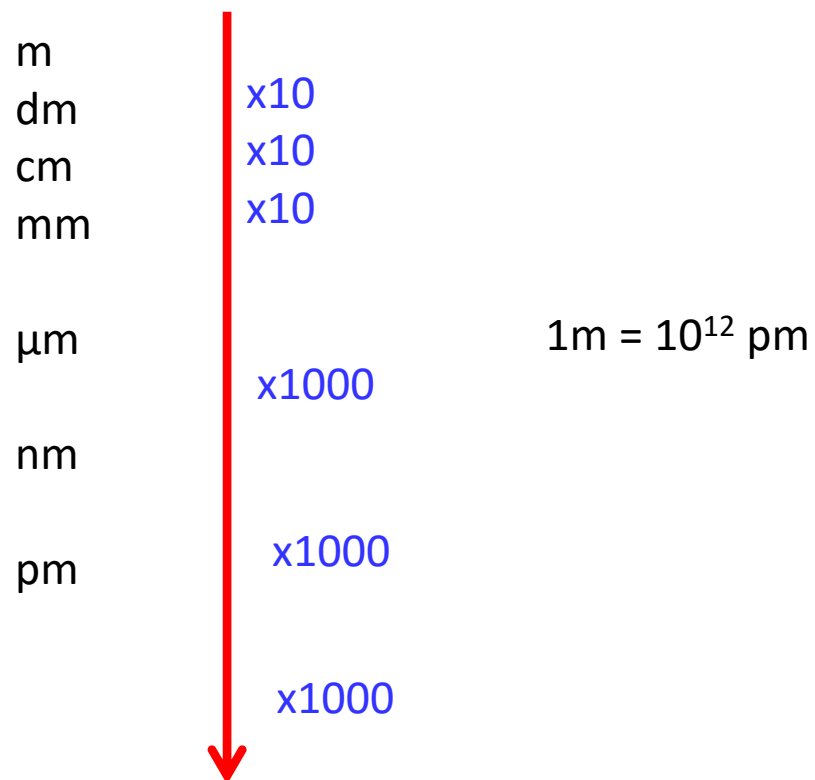
(a) 2.0×10^7 mg

2.0×10^7 mg
 $\times 10^{-3}$
 2.0×10^4 g
 $\times 10^{-3}$
 2.0×10^1 kg

		kg	
$\times 10^3$:1000	g	$\times 1000$
$\times 10^{-1}$: 10	dg	$\times 10$
$\times 10^{-1}$: 10	cg	$\times 10$
$\times 10^{-1}$: 10	mg	$\times 10$

Practice Exercise 2. Using SI prefixes

(a) How many picometers are there in 1 m?

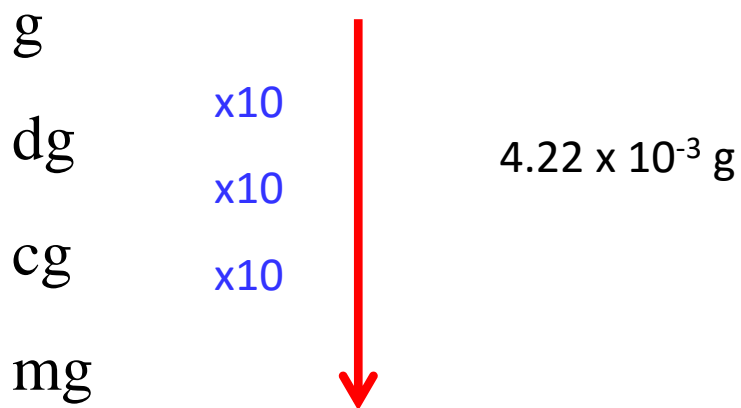


Practice Exercise 2. Using SI prefixes


(b) Express 6.0×10^3 m using a prefix to replace the power of ten. 6.0 km

(c) Use exponential notation to express 4.22 mg in grams

$$1 \text{ mg} = 10^{-3} \text{ g} \quad \text{mg has a prefix of } 10^{-3}$$



(d) Use decimal notation to express 4.22 mg in gram

g	x10		$4.22 \text{ mg} : 1000 = 0.00422 \text{ g}$
dg	x10		
cg	x10		
mg			

Determining density and using density to determine volume or mass. Sample Exercise 1.4.

(a) Calculate the density of a mercury if $1.00 \times 10^2 \text{ g}$ occupies a volume of 7.36 cm^3

$$\text{density} = \frac{\text{mass}}{\text{volume}} = \frac{1.00 \times 10^2 \text{ g}}{7.36 \text{ cm}^3} = 13.6 \text{ g/cm}^3$$

(b) calculate the volume of 65.0 g liquid methanol if its density is 0.791 g/ml

$$\text{density} = \frac{\text{mass}}{\text{volume}}$$

$$\text{volume} = \frac{\text{mass}}{\text{density}}$$

$$\text{volume} = \frac{65.0 \text{ g}}{0.791 \text{ g/ml}}$$

$$\text{volume} = 82.2 \text{ ml}$$

3 significant figures ! Multiplication and division: least significant figures !

Relating Significant Figures to the uncertainty of a measurement. Practice exercise 2.

A sample that has a mass of about 25 g is weighed on balance that has a precision of ± 0.001 g. How many significant figures should be reported for this measurement?

Significant figure would be 5 as in the measurements :

25.001 & 24.499

Assigning appropriate significant figures. Practice exercise 1.

Which of the following numbers in your personal life are exact numbers?

- (a) Your phone number
- (b) Your weight
- (c) Your IQ
- (d) Your driver's license number
- (e) The distance you walked yesterday

Determining the number of significant figures in a measurement.

Sample exercise 1.7.

How many significant figures are in each of the following numbers (assume each number is a measured quantity)? (a) 4.003 (b) 6.023×10^{23} .

(a) 4.003 has 4 significant figures: all digits and zeros between numbers are considered significant

(b) 6.023 has 4 significant figures due to the reasons apply (a) and exponential numbers does not add as significant figure

Determining the number of significant figures in a measurement. Practice exercise 2.

How many significant figures are in each of the following measurements? (a) 3.549 g (b) 2.3×10^4 cm (c) 0.00134 m³

(a) 3.549 g : 4 significant figures

(b) 2.3×10^4 cm : 2 significant figures

(c) 0.00134 m³ : 3 significant figures. We do not count the zeros before a number, they show a decimal place

Uncertainty in Measurement. Exercise 1.37

What is the significant figures in each of the following measured quantities?

- (a) 510 kg
- (b) 0.0631 s
- (c) 4.2604 cm
- (d) 0.000479 L
- (e) 7.05000 $\times 10^{-6}$ m³
- (f) 800 m

Remember the rules!

- (a) 2 significant figures, do not count the zeros at the end unless there is decimal point
- (b) 3 significant figures do count the zeros before a number
- (c) 5 significant figures: count zeros between numbers
- (d) 3 significant figures: do not count the numbers before digits
- (e) 6 significant figures: exponential number is used to show significant figures
- (f) 1 significant figure, do not count the zeros at the end unless there is decimal point

Uncertainty in Measurement. Exercise 1.39

Round each of the following numbers to **four significant figures** and express the result in standard **exponential notation**

(a) 102.53070

(b) 656.980

(c) 0.008543210

(d) 0.000257870

(e) -0.0357202

Check if the leftmost digit is ≥ 5 or not

(a) 102.53070 : 102.5 : 1.205×10^3

(b) 656.980 : 657.0 : 6.570×10^2

(c) 0.008543210 : 0.008543 : 8.543×10^{-3}

(d) 0.000257870 : 0.0002579 : 2.579×10^{-4}

(e) -0.0357202 : -0.03572 : 3.572×10^{-2}

Uncertainty in Measurement. Exercise 1.41

Carry out the following operations and express the answers with the appropriate number of significant figures.

(a) $25.3693 + 1.78$

(b) $834.5 - 212.75648$

(c) 128.56×3186.14862

(d) $0.0482 / 0.941$

Rules:

1. Addition and subtraction: least decimal place
2. Multiplication and division: least significant figures

(a) $25.3693 + 1.78 = 27.1493$ is rounded to 27.15

Rule 1. 4 decimal place and 2 decimal places so the answer must have 3 decimal places and should be rounded properly

(b) $834.5 - 212.75648 = 621.74352 = 621.7$

Rule 1. 1 and 5 decimal points, so the answer must have 1 decimal point

(c) $128.56 \times 3186.14862 = 409611,267$ is rounded of to 409610 with 5 significant figures

Rule 2. 5 and 9 significant figures, so the answer must contain 5 significant figures

(d) $0.0482 / 0.941 = 0.0512221$ is rounded to 0.0512

Rule 2. 3 significant figures, so the answer must contain 3 significant figures

Dimensional Analysis Exercise 1.45

Using knowledge of metric units, English units and information on the back inside cover, write down the conversion factors needed to convert

(a) mm to nm

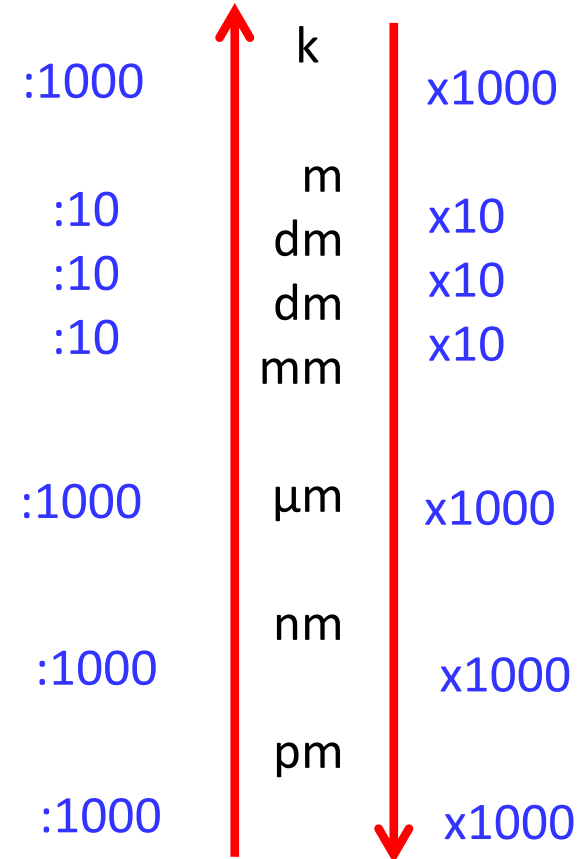
(b) mg to kg

(c) km to ft

(d) in^3 to cm^3

(a) $1\text{m} = 10^9 \text{ nm}$

(b) $1 \text{ mg} = 0.001 \text{ g} = 0.000001 \text{ kg} = 10^{-6} \text{ kg}$



(c) $1 \text{ km} = 0.62137 \text{ mi}$
 $1 \text{ mi} = 5280 \text{ ft}$

given in back inside cover of the book

To convert ft to mi

$$\text{desired unit} = \text{given unit} \times \frac{\text{desired unit}}{\text{given unit}}$$

$$\text{ft} = 0.62137 \text{ mi} \times \frac{5280 \text{ ft}}{\text{mi}}$$

$$= 3280.83 \text{ ft}$$

3280.83 rounded to 3280
with 3 significant figures

(d) in^3 to cm^3

$$1 \text{ in.} = 2.54 \text{ cm}$$

$$1 \text{ in}^3 = 2.54^3 \text{ cm}^3$$

$$1 \text{ in}^3 = 41.6 \text{ cm}^3 \text{ (3 significant figures)}$$

Dimensional Analysis Exercise 1.47

(a) A bumblebee flies with a ground speed of 15.2 m/s. Calculate its speed in miles per hour

$$1 \text{ min} = 60 \text{ s}$$

$$1 \text{ hr} = 60 \text{ min}$$

Conversion factors between hr and s:

$$\frac{1 \text{ min}}{60 \text{ s}} \times \frac{1 \text{ hr}}{60 \text{ min}} = \frac{1 \text{ hr}}{3600 \text{ s}} \quad \text{or} \quad \frac{0.0028 \text{ hr}}{1 \text{ s}} \quad \text{or} \quad \frac{1 \text{ s}}{0.00028 \text{ hr}}$$

$$1 \text{ km} = 0.62137 \text{ mi} \quad \text{and} \quad 1 \text{ km} = 1000 \text{ m}$$

Conversion factors :

$$\frac{1 \text{ km}}{0.62137 \text{ mi}} = \frac{1000 \text{ m}}{0.62137 \text{ mi}} = \frac{1 \text{ m}}{0.0062137 \text{ mi}}$$

So we plug the numbers in m/s

$$\frac{m}{s} = \frac{0.0062137 \text{ mi}}{0.00028 \text{ hr}}$$

$$1 \text{ m/s} = 2.2 \text{ mi/hr}$$

$$\begin{aligned} 15.2 \text{ m/s} &= 2.2 \times 15.2 \text{ m/hr} \\ &= 33.4 \text{ mi/hr} \end{aligned}$$

Classification and Properties of Matter

1.13. Classify each of the following as a pure substance or a mixture

- (a) Calcium
- (b) Lake water
- (c) Chocolate pudding
- (d) Crunchy peanut butter

1.19. In the process of attempting to characterize a substance, a chemist makes the following observations: the substance is silvery white, lustrous metal. It melts at $649\text{ }^{\circ}\text{C}$ and boils at $1105\text{ }^{\circ}\text{C}$. Its density at $20\text{ }^{\circ}\text{C}$ is 1.738 g/cm^3 . The substance burns in air, producing an intense white light. It reacts with chlorine to give a brittle white solid. The substance pounded into thin sheets or drawn into wires. It is good conductor of electricity. Which of these chemical characteristics are physical properties, and which are chemical properties?

1.21. Label each of the following as either a physical process or a chemical process:

- (a) boiling a pot of water
- (b) digesting a meal
- (c) converting grain into flour
- (d) exploding of nitrous glycerine
- (e) rusting of a nail

1.61. A sample of ascorbic acid, i.e. Vitamin C, is synthesized in the laboratory. It contains 1.50 g of carbon and 2.00 g of oxygen. Another sample of ascorbic acid isolated from citrus fruits contains 6.35 g of carbon. How many grams of oxygen does it contain? Which law are you assuming in answering this question.

Total mass of ascorbic acid synthesized in lab = 1.50 g + 2.00 g = 3.50 g

$$\frac{\text{mass of carbon}}{\text{mass of ascorbic acid}} = \frac{1.50 \text{ g}}{3.50 \text{ g}}$$

According to the *law of constant composition*, atoms combined in fixed ratio

$$\frac{\text{mass of carbon}}{6.35 \text{ g}} = \cancel{\frac{1.50 \text{ g}}{3.50 \text{ g}}}$$

$$\text{mass of carbon} = 2.72 \text{ g}$$

Sample Exercise 1.2. Using SI prefixes

What is the name of the unit equals to

- (a) 10^{-9} gram
- (b) 10^{-6} seconds
- (c) 10^{-3} meter

